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# اثرات متعارض شاخص‌های فنی محصول بر خواسته‌های مشتری (کاربرد MODM در QFD)

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QFD مکانیزمی است برای ترجمه صدای مشتری به ویژگی‌های محصول در مراحل مختلف طرح‌ریزی، مهندسی و ساخت محصول که به طور گسترده‌ای توسط شرکت‌های مدرن در سراسر جهان به کار گرفته شده است. به موازات اقبال به این تکنیک طیف گسترده‌ای از تلاش‌های آکادمیک معطوف به بهبود و تکمیل این تکنیک شده است. اکنون روش‌های سستی تعیین اهمیت نسبی عوامل در QFD جای خود را به روش‌هایی با مبنای مستحکم ریاضی مثل AHP و ANP داده‌اند و تلاش‌های گسترده‌ای صرف ارایه روش‌های نظام‌مند برای تعیین مقادیر شاخص‌های فنی شده است. این مقاله، مدل جدیدی برای تعیین مقادیر شاخص‌های فنی بر مبنای برنام‌ریزی آرمانی ارائه می‌دهد که در آن اثرات متعارض شاخص‌های فنی بر خواسته‌های مشتری که پیشتر به آن توجه نشده، مورد ملاحظه قرار می‌گیرد.

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QFD

$TA_j$

$CR_i$

n

m

$j = 1, 2, \dots, n \quad i = 1, 2, \dots, m$

S

$$S = f(s_1, s_2, \dots, s_m) :$$

$s_i$

QFD

$d_i$

:[ ]

$$S = \sum d_i s_i \quad i = 1, 2, \dots, m.$$

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$$y_i = f_i(X)$$

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$$s_i = \sum_{j=1}^n R_{ij} x_j, \quad j=1,2,\dots,n \quad i$$

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$$S = \sum_{i=1}^m d_i \sum_{j=1}^n R_{ij} x_j \Rightarrow S = \sum_{i=1}^m \sum_{j=1}^n d_i R_{ij} x_j$$

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$$\text{Max } S = \sum_k w_j x_j = \sum_k \sum_j w_j \gamma_{jk} r_k = \sum_k \sum_j w_j \gamma_{jk} r_k = \sum_k w_k^* r_k$$

$$w_j = \sum_{i=1}^m d_i R_{ij} \quad w_k^* = \sum_j w_j \gamma_{jk}$$

$$\text{Max } \sum_k a_i d_i x_i \quad \text{ANP} \quad \text{ANP}$$

$$\text{Max } \sum_i a_i d_i x_i \quad \text{ANP} \quad \text{ANP}$$

$$a_i \quad d_i \quad w_i^{ANP}$$

$$i \quad d_i$$

$$a_i \quad \text{ANP} \quad \text{ANP}$$

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$w_i^{ANP}$

$$S = \sum_{i=1}^n w_i^{ANP} d_i x_i$$

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$$x_j \quad w_j$$

$$w_j x_j$$

$$x_j$$

$$\sum w_j x_j$$

$$x_j$$

[ ]

$$d_i$$

$$d_i$$

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$$d_i x_i$$

$$d_i$$

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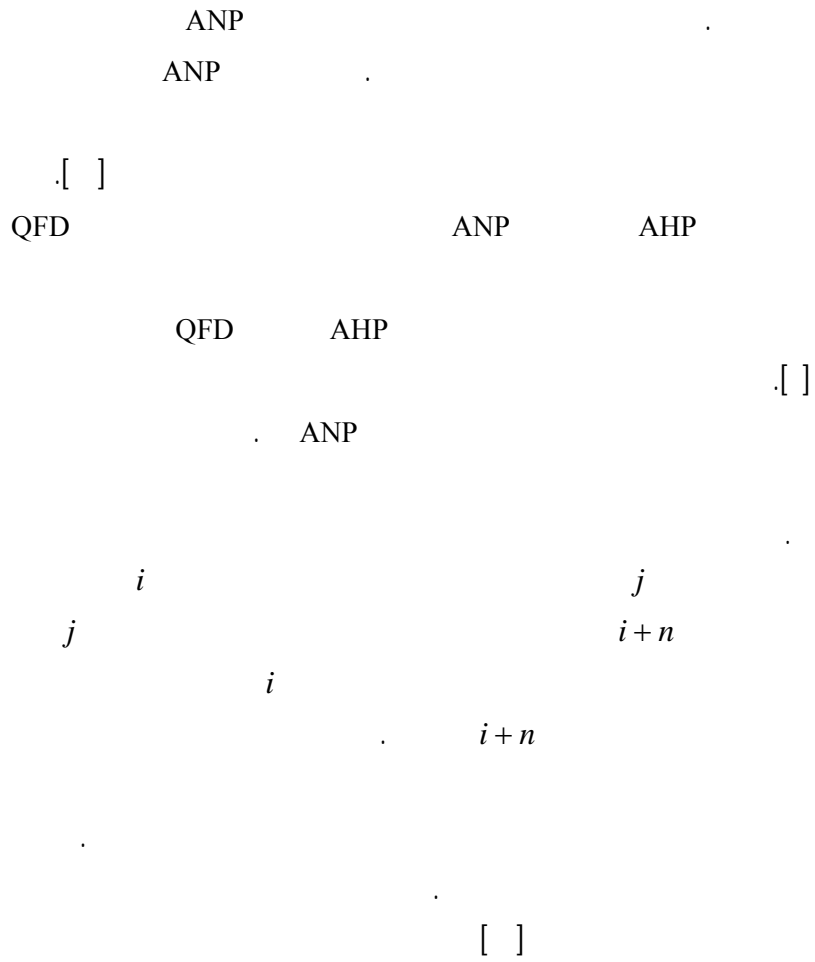
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$$\frac{x_j^{\max} - x_j}{x_j^{\max} - x_j^{\min}}$$

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$$\frac{x_j - x_j^{\min}}{x_j^{\max} - x_j^{\min}}$$



$$s_i = \sum_{j=1}^n T_{ij} \frac{d_j}{x_j^{\max} - x_j^{\min}}$$

$$d_j = x_j^{\max} - x_j \quad \text{ANP}$$

$$d_j = x_j - x_j^{\min}$$

$$s_i$$

$$s_i = \sum_{j=1}^n T_{ij} \frac{d_j}{x_j^{\max} - x_j^{\min}} - D_i^+ + D_i^- = 0$$

$$D_i^+$$

$$\text{Min } Z = \sum_{i=1}^n V_i D_i^+$$





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(DIS)

(HC)

(HB)

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	HB	HC	DIS	DEN	TH	DO	DK	DB	HK
OQ	↗	•	↗	•	↗	↗	↗	•	•
PL	↗	↘	↘	↘	↘	↘	•	•	•
KL	↗	↗	↗	↗	↘	↘	↗	↗	•
IO	•	↗	•	•	•	•	•	↗	•
ER	•	↗	•	•	•	•	↗	↗	↘

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HB	HC	DIS	DEN	TH	DO	DK	DB	HK	

( )

$V_{CR}$

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:( )

ER	IO	KL	PL	OQ	
/	/	/	/	/	

:( )

	OQ	PL	KL	IO	ER
HK	/	/	/	/	/
DB	/	/	/	/	/
DK	/	/	/	/	/
DO	/	/	/	/	/
TH	/	/	/	/	/
DEN	/	/	/	/	/
DIS	/	/	/	/	/
HC	/	/	/	/	/
HB	/	/	/	/	/

( ) . HB HC DIS

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	HB	HC	DIS	DEN	TH	DO	DK	DB	HK
HK	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
DB	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
DK	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
DO	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
TH	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
DEN	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
DIS	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
HC	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.
HB	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.	∕.

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$w_{TAs}$

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	OQ	PL	KL	IO	ER
HK	/	/	/	/	/
DB	/	/	/	/	/
DK	/	/	/	/	/
DO	/	/	/	/	/
TH	/	/	/	/	/
DEN	/	/	/	/	/
DIS	/	/	/	/	/
HC	/	/	/	/	/
HB	/	/	/	/	/

AHP

ANP

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$V_{CRs}$

$w_{TAs}$

$$w_{TAs}^{ANP} = w_{TAs} * V_{CR}$$

$$\begin{aligned} MinZ &= 0/3509 \times d_1^+ + 0/2004 \times d_2^+ + 0/1646 \times d_3^+ + 0/1801 \times d_4^+ + 0/104 \times d_5^+ \\ &- 0/0002 \times HK - 0/0123 \times DK - 0/0016 \times TH - 0/001 \times DEN - 0/0006 \times DIS \\ &- d_1^+ + d_1^- = -0/4239 \end{aligned}$$

$$\begin{aligned} &0/0006 \times DB + 0/0023 \times DO + 0/0034 \times TH + 0/0029 \times DEN - 0/0001 \times HK \\ &- 0/0019 \times DK - d_2^+ + d_2^- = 0/1513 \end{aligned}$$

$$\begin{aligned} &0/0028 \times TH + 0/002 \times DEN - 0/0001 \times HK - 0/0005 \times DB - 0/0066 \times DK \\ &- 0/0011 \times DO - 0/0008 \times DIS - 0/0002 \times HC - d_3^+ + d_3^- = -1/9218 \end{aligned}$$

$$-0/005 \times DB - 0/0017 \times HC - d_4^+ + d_4^- = -2/5167$$

$$0/0001 \times HB - 0/0006 \times HC - 0/0017 \times DIS - 0/0037 \times DB - d_5^+ + d_5^- = -1/6698$$

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$$\begin{array}{ll}
200 \leq HK \leq 2000 & 100 \leq DEN \leq 200 \\
270 \leq DB \leq 370 & 20 \leq DIS \leq 100 \\
190 \leq DK \leq 220 & 900 \leq HB \leq 3000 \\
120 \leq DO \leq 170 & 100 \leq HC \leq 400 \\
22 / 5 \leq TH \leq 100 &
\end{array}$$

$$\begin{array}{l}
HB - 2 \times DB \geq 0 \\
DB - 1.2 \times DK \geq 0 \\
DK - DO - TH = 0 \\
HB - DIS - HC - HK \geq 200 \\
2 \times DK - DB \geq 0
\end{array}$$

$X_i, Y_i, Z_i$ ):

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$$\begin{array}{ll}
DB - 254 \times Y_1 - 304/8 \times Y_2 - 355/6 \times Y_3 = 0 & Y_1 + Y_2 + Y_3 = 1 \\
DO - 127 \times X_1 - 152/4 \times X_2 = 0 & X_1 + X_2 = 1 \\
DEN - 100 \times Z_1 - 125 \times Z_2 - 150 \times Z_3 - 175 \times Z_4 = 0 & Z_1 + Z_2 + Z_3 + Z_4 = 1
\end{array}$$

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$$\begin{array}{l}
720 \times Y_1 \times HB + 900 \times Y_2 \times HB + 1100 \times Y_3 \times HB + 240 \times X_1 \times DIS + 270 \times X_2 \times DIS \\
+ 1/57 \times Z_1 \times TH \times DK \times HK + 1/57 \times Z_1 \times TH \times DO \times HK + 1/96 \times Z_2 \times TH \times DK \\
\times HK + 1/96 \times Z_2 \times TH \times DO \times HK + 1/81 \times Z_3 \times TH \times DK \times HK + 1/81 \times Z_3 \times TH \\
\times DO \times HK + 1/73 \times Z_4 \times TH \times DK \times HK + 1/73 \times Z_4 \times TH \times DO \times HK + 2362/2 \\
\times DB + 2362/2 \times DO + 200 \times HC + 1600000 \times Y_1 + 1800000 \times Y_2 + 2200000 \times Y_3 \leq 1000000 \\
X_i = 0 \vee 1, Y_i = 0 \vee 1, Z_i = 0 \vee 1
\end{array}$$

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HB	HC	DIS	DEN	TH	DO	DK	DB	HK	
	/	/					/		

" (DB) "

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$$DB = 254 y_1 + 304 / 8 y_2 + 355 / 6 y_3$$

$$Y_1 + Y_2 + Y_3 = 1 \quad \text{و} \quad Y_i = 0 \vee 1$$

$Y_i$

$$720 \times Y_1 \times HB + 900 \times Y_2 \times HB + 1100 \times Y_3 \times HB$$

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QFD

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